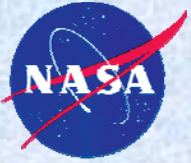


Laser Reliability and the 3-D Winds Mission

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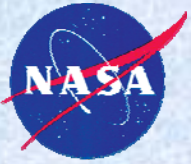
Working Group on Space-Based Lidar Winds
Wintergreen, VA USA

8 – 11 July 2008



This Talk

- ☐ Presentation of experimental numbers and the reliability answer
- ☒ Framework for understanding reliability

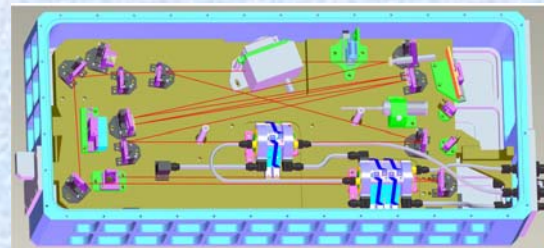
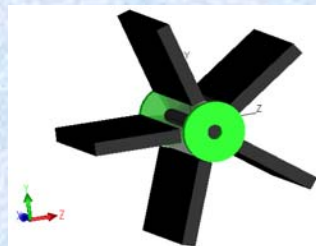
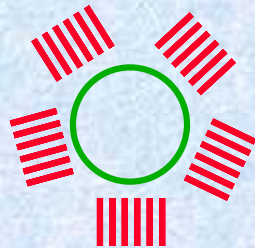
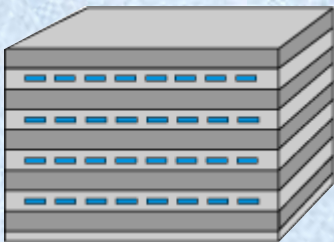


Reliability of a System

- The reliability of a system comes from the reliability of its parts

For example:

- Many emitters make a laser diode bar
- Many bars make a laser diode array (LDA)
- Many LDAs pump one laser head
- One or more laser heads are in a pulsed laser (oscillator and amplifiers)
- The laser heads, gain crystals, optics, electronics, etc. comprise a pulsed laser
- A pulsed laser plus N spares yields the mission reliability of the pulsed laser





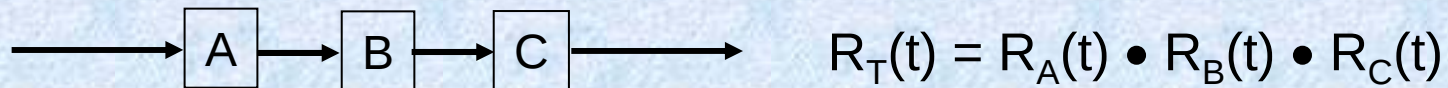
Possible Spares

	<u>Hot</u> Always On	<u>Cold</u> Off Until Needed
Emitters		
Bars	Desired	Not planned
Arrays	Desired	Not planned
Heads	Not Planned	Not Planned
Pulsed Lasers		Yes ✓



Reliability

Reliability = $R(t) = \Pr \{ \text{no failure occurs before } t \}$



$$R(t) = 1 - F(t)$$

Unreliability = $F(t) = \Pr \{ \text{failure occurs before } t \}$

$$F(t) = \int_{-\infty}^t f(\tau) d\tau$$

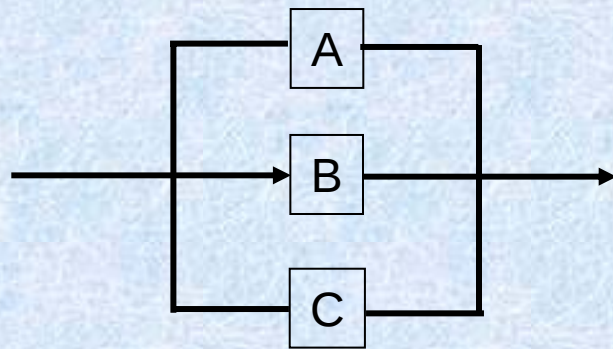
$f(t)$ = failure density function



Hot Spares

(all units always on)

Parallel Hot Spares

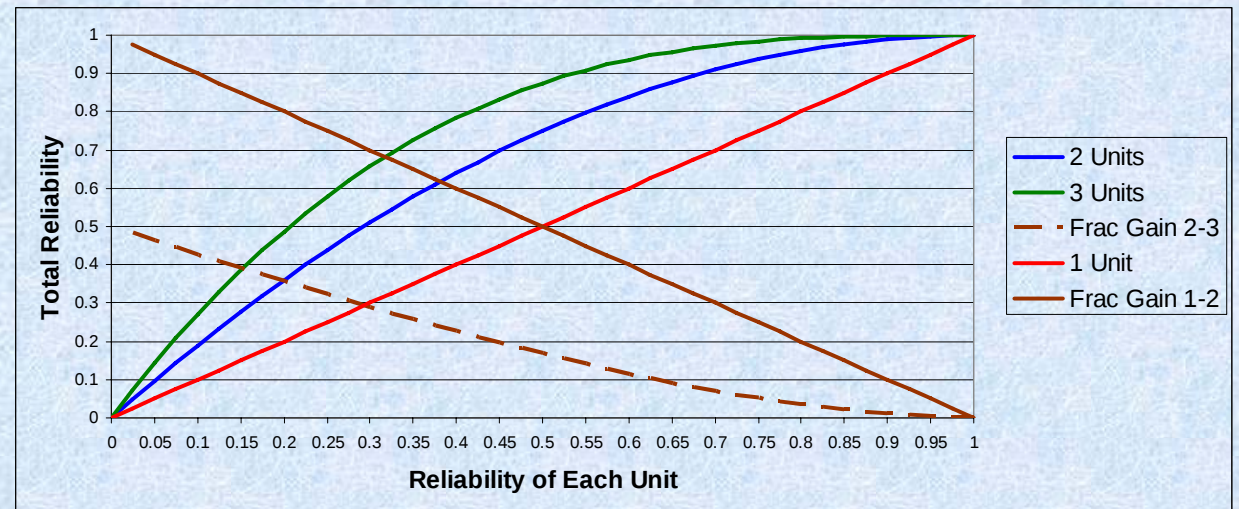


$$T = \text{MAX}(A, B, C, \dots)$$

$$R_T(t) = 1 - \prod [1 - R_i(t)]$$

2 identical parallel hot spares: $R_T = R (2 - R)$

3 identical parallel hot spares: $R_T = R (3 - 2R + R^2)$

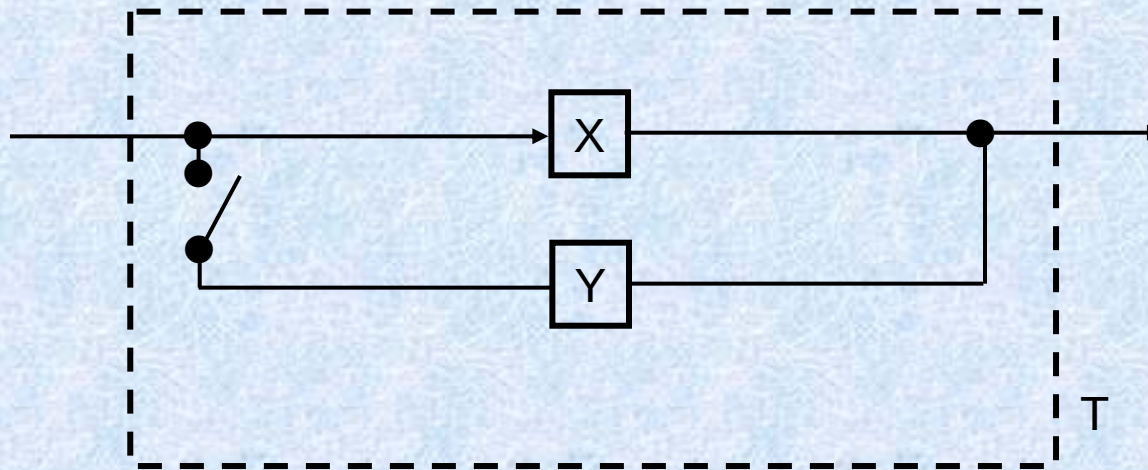




Cold Spares

(after failure, next unit turned on)

- This is the actual envisioned case for space mission lasers



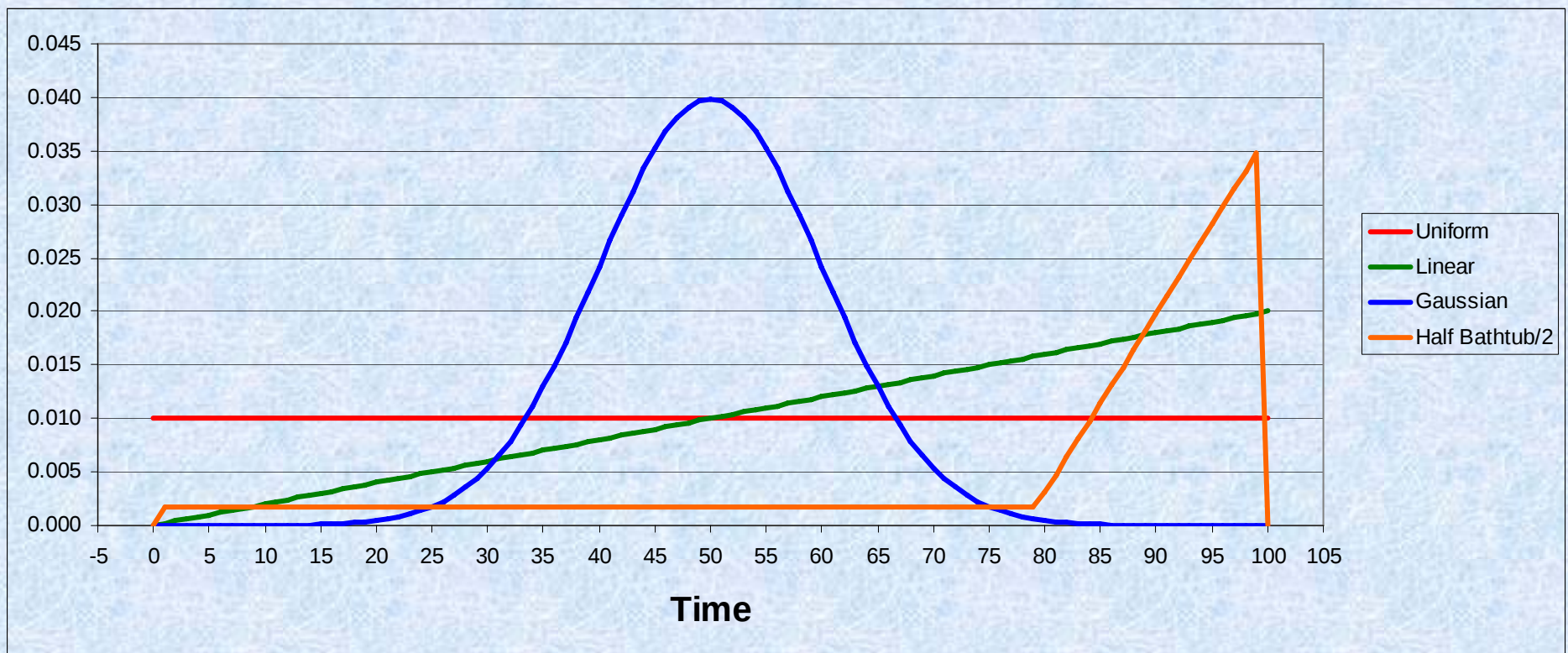
$$T = X + Y \quad \Rightarrow \quad f_T(t) = \int_{-\infty}^{\infty} f_X(t-B) f_Y(B) dB \quad (\text{convolution})$$

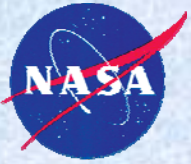
- There is no single answer. You have to specify the failure density function f of the basic unit.



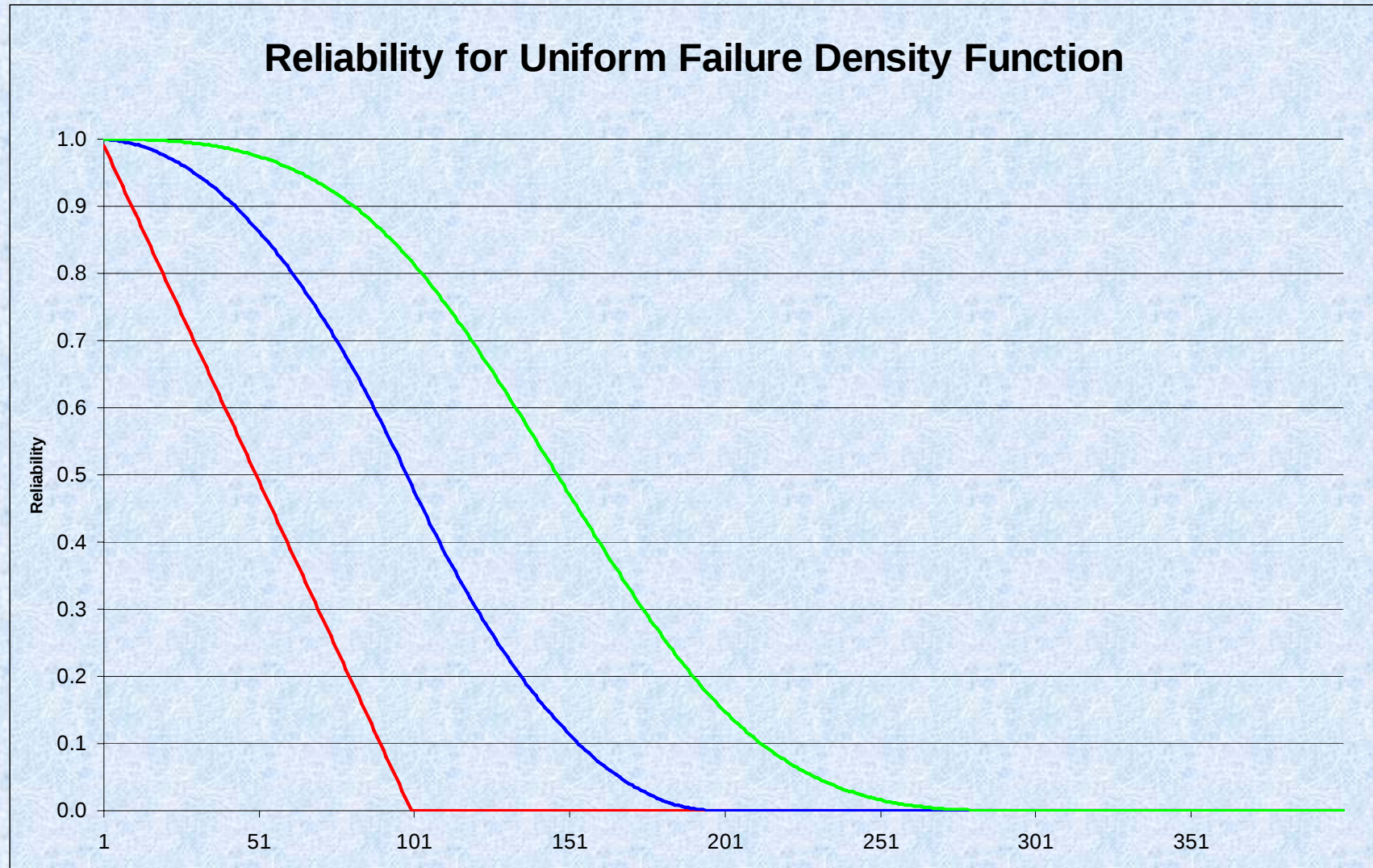
Cold Spares

Example failure density functions
(all time integrals = 1)





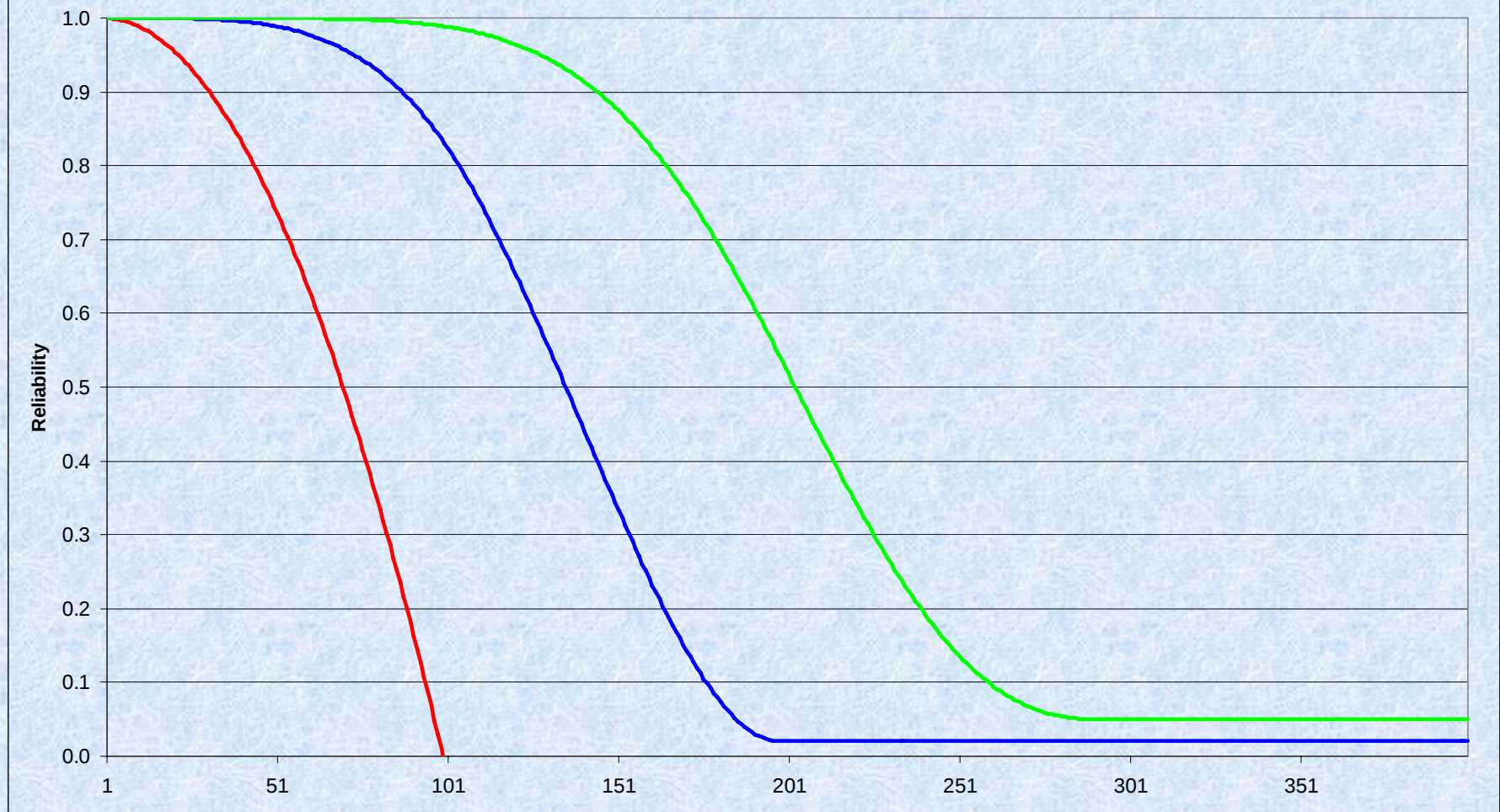
Cold Spares





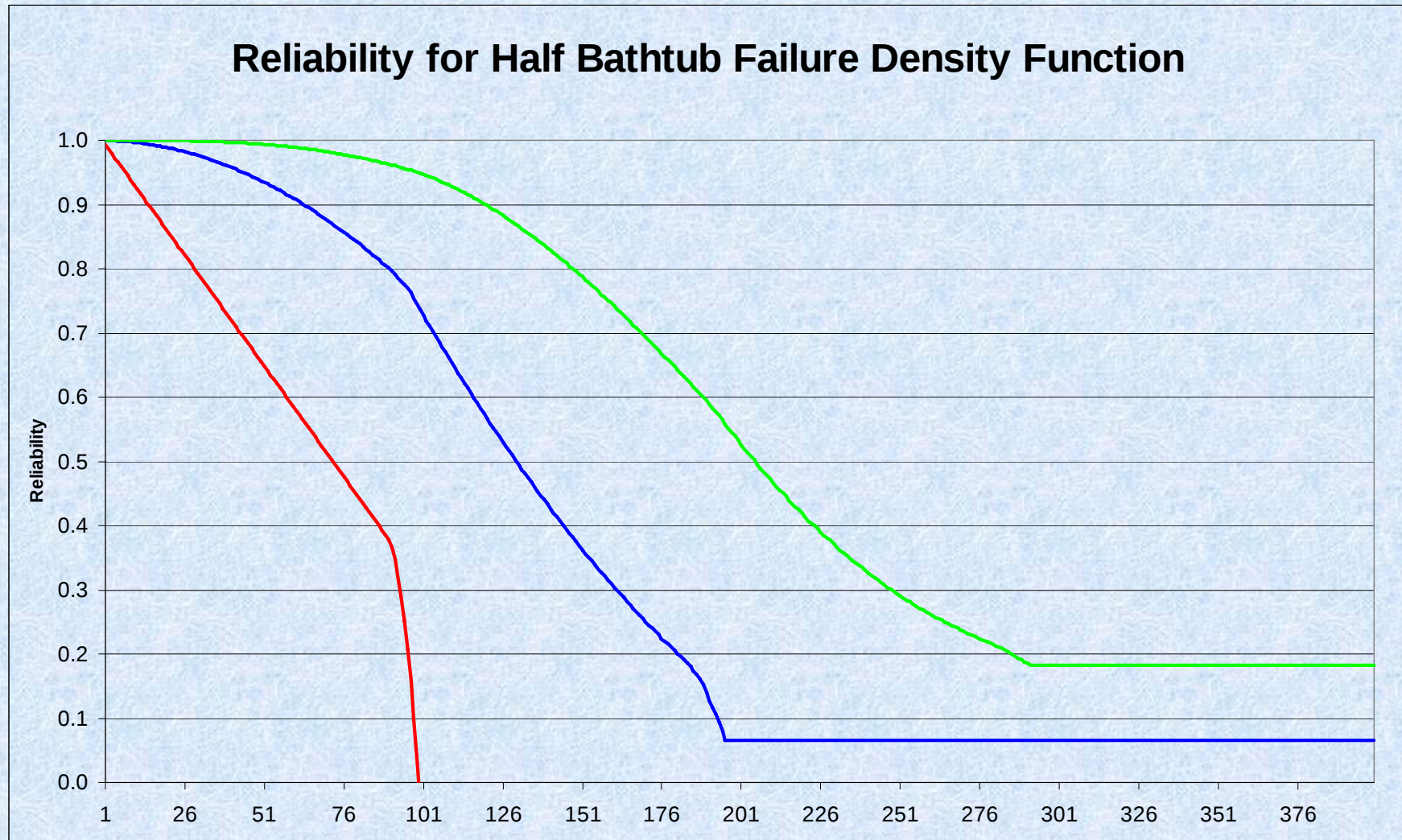
Cold Spares

Reliability for Linear Failure Density Function



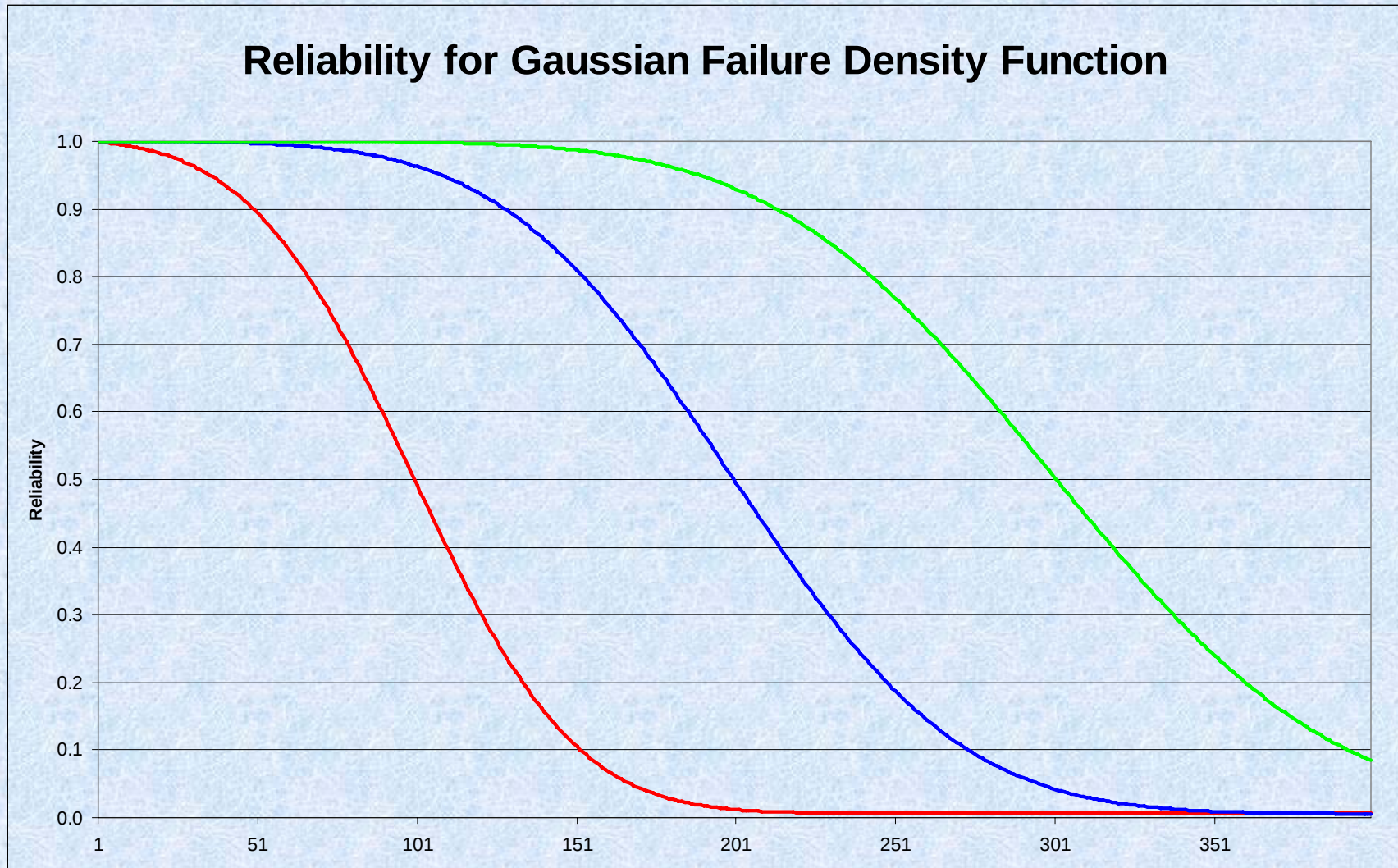


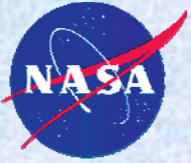
Cold Spares





Cold Spares





Cold Spares

Gaussian Failure Density Function

- Because a Gaussian convolved with a Gaussian yields a Gaussian with the means and the variances summed, this case has a tabulated function solution for N-1 cold standby spares. Assume all N units are identical with mean M and standard deviation σ :

$$R_T(t) = \frac{1}{2} \left[1 - \operatorname{ERF} \left(\frac{t - NM}{\sigma \sqrt{2n}} \right) \right]$$



Cold Spares

Gaussian Failure Density Function

$$R_T(t) = \frac{1}{2} \left[1 - \operatorname{ERF} \left(\frac{t - NM}{\sigma \sqrt{2n}} \right) \right]$$

- For high R discussions, ERF will be: -0.99 to -0.80
- ERF argument, ARG, will then be: -1.83 to -0.91 ($t < NM$)

let $\sigma = \frac{M}{C_\sigma}$ (C_σ is ratio of mean to standard deviation, > 1)

and the required overall lifetime = t_{REQ}

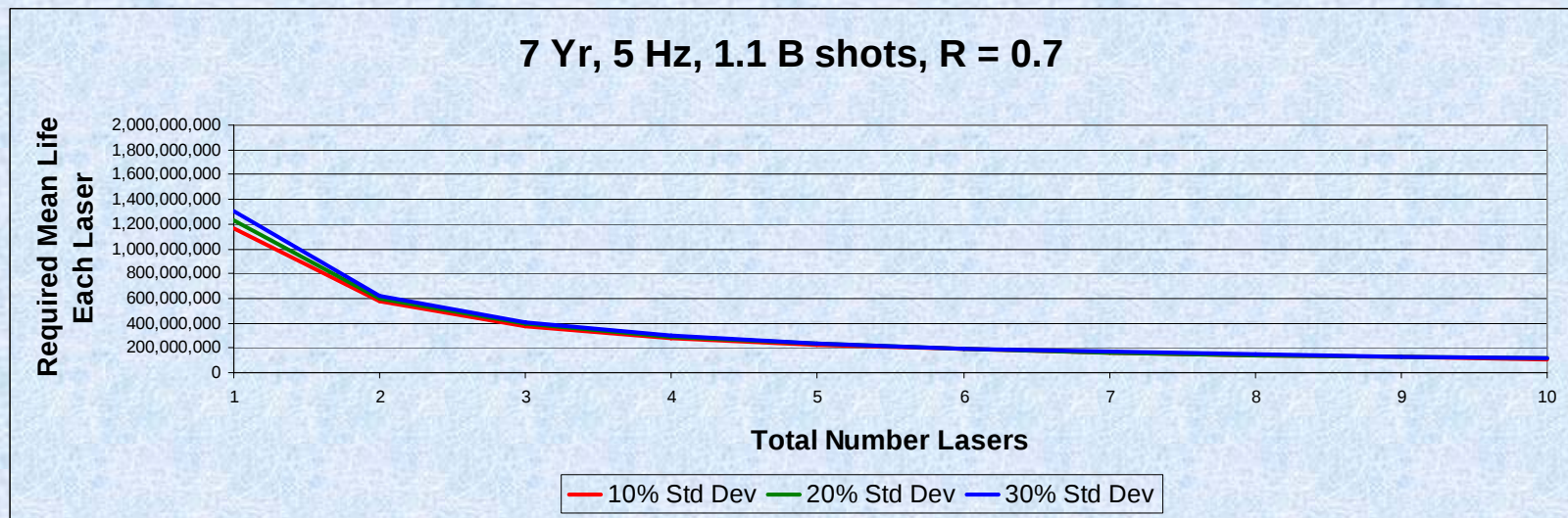
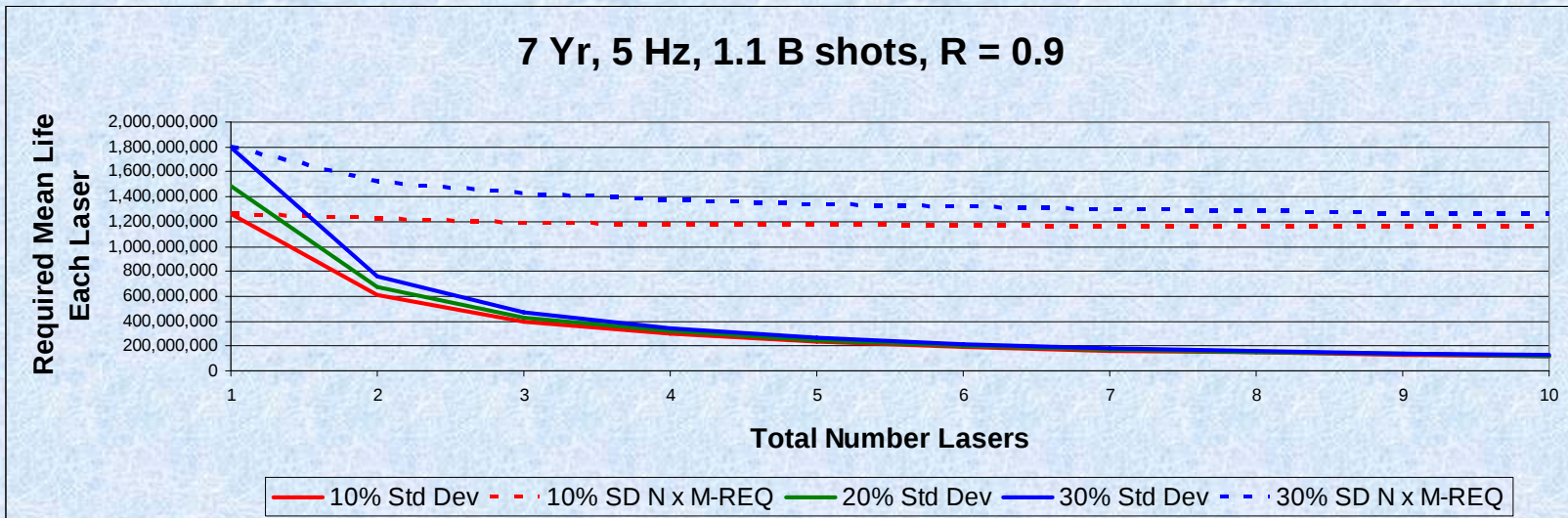
then required mean lifetime of each unit M :

$$M_{REQ} = \frac{t_{REQ}}{\sqrt{N} \left[\sqrt{N} - \frac{\sqrt{2} ARG_{REQ}}{C_\sigma} \right]}$$

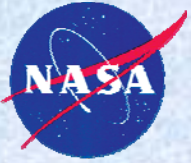


Cold Spares

Gaussian Failure Density Function

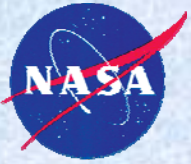


NWOS: 1 coherent backup laser



Conclusions

- Lifetime requirement for each laser can be found given overall required lifetime, required reliability, number of cold spares, and failure density function
- Lifetime of individual laser will be achieved with overdesign of laser diode arrays/bars/emitters leading to derating of laser diode array operational current and pulse duration



Back Up



Politicians

Software

People

Cars

Computers

Electronics

God

-

Log Reliability

+